Abstract. In the present study a machine vision system was developed for estimating the mass of eggs arranged in a single array. A grabber frame equipped with a mirror was developed for positioning the eggs. Therefore, two images could be captured from each egg. Images were then processed by Matlab software. Six algorithms were developed to extract eggs features such as minimum, maximum and effective radii, perimeter and the frontal area from each image. The eggs were also weighed by a sensitive digital scale. Seventy percent of data after discarding the outliers were used to establish some models, and the remaining was used to verify the final model. The results showed that egg mass estimation can be accurate by using two perpendicular views of each egg. Amongst the models, one with predictors of area and effective radius was found to be the best. A high correlation coefficient was observed between eggs mass measured and predicted by the model, with an accuracy of about 95%.

Keywords: egg, fresh mass, machine vision

INTRODUCTION

Today, egg is extremely distributed in international trade, and the egg industry is a vital portion of the world food industry. In the egg trade, this product is sold by its mass. Also, many investigations have shown that egg mass can be considered as an important parameter for prediction of features of egg shell, hatchability, and chick mass (Narushin et al., 2002). Poultry products, just as other food products, have several unique characteristics which set them apart from engineering materials. These properties determine the quality of the products, and identification of correlation among those properties makes quality control easier (Jannatizadeh et al., 2008). Egg mass measurement is an essential unit operation for controlling the egg production process in the poultry industry. Information regarding egg mass is not only vital for grading systems based merely on mass, but it is also necessary for assessing quality indices such as yolk-albumen ratio, shell thickness and hatchability.

Physically, weighing the individual items is very expensive and impractical. To overcome this problem, correlated mass with size is often used as a substitution for weighing each item of produce. For this purpose, machine vision is a desirable implement and can been used for size estimation. Machine vision is a non-destructive method that involves image analyses and image processing operations. Many researchers have used this method for size grading of agricultural products. Brosnan and Sun (2002), Esehaghbeygi et al. (2010), Guyer and Yang (2000), Khojastehnazhand et al. (2009) and have all found the image processing approach fast and reliable for automatic fruit sorting, defect detection and product grading.

Wang and Nguang (2007) designed a low-cost sensor for measuring the volume and surface area of agricultural products. They considered each product as a set of elementary cylindrical objects of unit pixel height, and estimated the volume by summing the elementary volumes of each cylinder. Many other imaging algorithms were developed to measure the volume of products such as carrots, lemons, watermelon, peaches and tangerine (Bulent Koc, 2007; Eifert et al., 2006; Sabilov et al., 2002). Many researches have been conducted to estimate mass of various types of agricultural products by physical properties. Tabatabaeefar et al. (2000) in a study found 11 models for the prediction of orange mass based upon dimensions, volume and surface areas. In another study, Tabatabaeefar (2002) suggested a high correlation between mass and volume of common varieties of Iranian grown potatoes. Lorestani and Tabatabaeefar (2006) used the regression analysis to develop equations for predicting

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mass of kiwi based on physical attributes. They suggested that there is a very good relationship between mass and measured volume for all varieties of kiwi. Khanali et al. (2007) studied the physical properties of tangerine and found the best model of predicting fruit mass with $R^2=0.96$. Khoshnam et al. (2007) used different regression models for predicting the mass of pomegranate fruit with some physical characteristics. The best model was suggested based on minor diameter by a nonlinear relation. Mirzaee et al. (2008) predicted the mass of two apricot varieties through models that were based upon apricot physical properties.

Machine vision has been recently used in the poultry industry. Patel et al. (1998) combined a colour computer vision and neural network system for detecting eggs with a defect. The system was capable of dirt stain detection with 97.8% accuracy, 91.1% accuracy for blood spot, and 96.7% accuracy for crack detection. Ancel and Beaulieu (2009) have developed an equation for the estimation of fresh mass of penguin egg by its length and width.

This paper describes a machine vision system that has been used to extract size features of eggs. The outputs of this system have been then used for predicting the mass of eggs by multiple regression analysis.

**MATERIALS AND METHODS**

Eggs with different sizes and weights, from White Leghorn Line hens, were selected for this study. The eggs were weighed using an electronic balance with 0.001 g accuracy (A and D, GF-600 Precision Scale, Japan). The machine vision system consisted of a frame grabber, an illumination system, a mirror and a colour CCD camera with 1200×1600 pixel resolution (Canon IXUS 960IS) was used for providing eggs images. Egg samples were put in the grabber. By using a flat mirror which was installed at 45° to the camera, two perpendicular views of egg were observed. Some external feature information was extracted from captured frames to describe the images. Morphological features describe the shape of an object. Area, perimeter, major and minor axes lengths are some of the most commonly measured morphological features. Segmentation is the first step to extract morphological features from an image, and consists in the division of the image into its constituent objects. With applying a threshold value, each image was divided into two parts, and thereby the background was separated from the object. The resulting image after this process was a binary image (Fig. 1). Binary images were then labelled. All objects inside the image were counted. If their number was more than two, a morphological opening operator was used with a disk-shaped structuring element from Matlab (version 7.5.0.342, R2007b, the Mathworks Inc.) image processing toolbox to remove all of them. Finally, two items remained in a processed binary image, a white main object, and a black background. After segmentation, an edge algorithm was developed for detecting the corresponding edge pixel for each of two perpendicular views of an egg. Twelve physical features such as image area, maximum radius, minimum radius, effective radius, perimeter and roundness for both views were extracted. At first the centroid of both eggs views was calculated by using the Eq. (1):

$$\bar{x} = \frac{\sum x_j}{\sum j}, \quad \bar{y} = \frac{\sum y_j}{\sum j},$$

Where $\bar{x}, \bar{y}$ - are horizontal and vertical coordinates of centre of gravity, respectively, and $x, y$ are accordingly horizontal and vertical coordinates of each edge pixel. By using the Eq. (2), many radii can be calculated:

$$r_i = \left[ (x_i - \bar{x})^2 + (y_i - \bar{y})^2 \right]^{\frac{1}{2}}, \quad r = [r_0, r_1, \ldots, r_{n-1}].$$

**Fig. 1.** Binary image: a – image from front view of an egg after segmentation, b – edge detection from extract features.
The radii which are positioned in opposite directions make where:

\[ r_e = (r_0, r_1, \ldots, r_{n-1})^T, \quad (3) \]

where: \( r_e \) and \( r_r \) are effective and \( r_i \)th radius, respectively, and \( n \) is the number of radii. Each radius makes an angle \( \theta \) with the horizontal axis. This angle can be computed by the following equation:

\[ \theta = \arctan \left( \frac{y_i - \bar{y}}{x_i - \bar{x}} \right), \quad (4) \]

The diameter of the object can be then calculated by summing the radii which make angle with 180° difference. The radii which are positioned in opposite directions make cumulative angle of 180° with the horizontal axis. The Eq. (5) is suitable for calculating the roundness of an object:

\[ \text{roundness} = \frac{\text{Min}(d)}{\text{Max}(d)}, \quad (5) \]

where: \( \text{Min}(d) \) and \( \text{Max}(d) \) are minimum and maximum diameters, respectively. The area and perimeter were calculated by counting the number of pixels inside and at the boundary of the egg image, respectively. All features corresponding to the first view of egg are named with 1, such as area1, roundness1, \( R_{max1} \), \( R_{min1} \), \( R_{effect1} \), and features corresponding to the mirror image are named with 2, such as area2, roundness2, \( R_{max2} \), \( R_{min2} \), and \( R_{effect2} \). The units in which the features were expressed were pixels.

For establishing a model, the impact of different external and internal features on the egg mass was checked pairwise by Minitab software (version 15, Minitab Inc.). To find the kind of relation, namely linear or nonlinear, the scatter diagram for the pairs of mass and each of the features were drawn. The tendency and strength of illustrated relation were used to prerefine the feature with low impact. The pre-refinement procedure showed that the linear relation was prominent amongst the variables. It is represented by the following statistical relation:

\[ \hat{y}_i = a_0 + \sum_{j=1}^{n} a_j x_{ij} + \varepsilon_i, \quad (6) \]

where: \( \hat{y}_i \) is predicted value (here, egg mass), \( a_0 \) is regression constant (intercept), \( a_j \) is regression coefficient, \( x_{ij} \) is regression predictor (here obtained feature), \( \varepsilon_i \) is error term, and subscript \( i \) refers to \( i \)th predictor. Selected features were then entered in the model as independent variables (Nassiri and Singh, 2007). The best subset regression method was used to classify the best model. Since this method is based on maximum coefficient of determination, established models were checked for other necessary post test, such as \( t \) value of regression coefficients, \( F \) test for whole model, \( VIF \) among variables, and the residual diagnosis:

\[ t_i = \frac{a_i}{SE_i}, \quad (7) \]

\[ F = \frac{\frac{SSR}{df}}{\frac{SSE}{df}} = \frac{SSR}{df} \frac{k-1}{SSE} \frac{n-k}{k-1} = \frac{\sum(y_i - \bar{y})^2}{\sum(y_i - \hat{y}_i)^2} \frac{n-k}{k-1}, \quad (8) \]

\[ R^2 = \frac{SSR}{SST} = 1 - \frac{SSE}{SST}, \quad \text{and} \]

\[ R^2_{adj} = 1 - \frac{\frac{SSE}{n-k}}{\frac{SST}{n-1}} = 1 - \frac{\sum(y_i - \hat{y}_i)^2}{\sum(y_i - \bar{y})^2} \frac{n-k}{n-1}, \quad (9) \]

where: \( SE_i \) is standard error of regression coefficient, \( i \) refers to the \( i \)th predictor. \( SSR \), \( SSE \) and \( SST \) are regression sum of squares, error sum of squares and total sum of squares, respectively. \( y_i \), \( \hat{y}_i \), \( \bar{y}_j \) and are measured egg mass value, corresponding predicted value, and mean of measured egg mass values, respectively. The letter \( n \) is the number of data, and \( k \) is the number of variables in the model including the dependent term (Montgomery, 2006).

The \( VIF \) pinpoints multi-colinearity among the independent variables. It can be measured by the following relation (Hair et al., 2006):

\[ VIF_j = \frac{1}{1 - R^2_j}, \quad j = 1, 2, \ldots, n, \quad (10) \]

where: \( j \) is representative of the \( j \)th independent variable. \( R^2_j \) is the coefficient of determination for regression which is established between \( j \)th variable (independent) as dependent and other independents variables. Mallows \( C_p \) that determines the issue of model overfitting, was calculated by following equation (Simikaran, 2008):

\[ C_p = (SSE/S_t^2) - N + 2p \quad (11) \]

where: \( SSE \) is error sum squares for model with \( p \) regressor, \( S_t^2 \) is the residual mean square after regression on the complete set of \( K \) regressors (\( K \geq p \)), \( N \) is the sample size and \( p \) is number of regressors in model. This statistic is used as a criterion for selecting appropriate model among many alternative subset regressions. In practice, the best model is selected from the ordered list of subsets when \( C_p \) closes to \( p \). All data were divided into two parts, seventy percent being used for establishing the model, and the rest kept for model validation.

RESULTS AND DISCUSSION

The study dealt with two series of data, those gathered from direct vision by the camera, and those acquired indirectly from the mirror image. Therefore, the model was
established twice; one for direct vision data and another for those data which were considered both direct and indirect visions (combined). For prescreening of the variables which could influence the mass of the egg, scatter plots of each variable versus the mass of egg were sketched and a kind of pair-wise relations were determined.

The graphs helped to discard the roundness feature from the independent variables because of low value of coefficient of determination ($R^2 = 0.086$) and a flat scatter plot. Models were then established by the Minitab software. The values of the coefficient of determination for the best models are given in Table 1.

As it is clear, 87.2% of egg mass can be explained by effective radius. Hence, by keeping the high value of adjusted coefficient of determination in mind and considering the low value of standard error of estimation, and $C_p$ value, the best models were made by frontal area, $R_{\text{min}}$, $R_{\text{max}}$ and $R_{\text{effect}}$. Then, different models which had been established by direct vision features were analyzed by considering the $VIF$ values as well as the residual diagnosis (Table 2).

It is obvious that models 1 and 2 had the lower $VIF$ values, and showed that these independent variables had less impact on each other. It meant that each variable estimated the mass independently. The residual diagnostic tests for these two models are illustrated in Figs 2 and 3.

Table 1. The best subsets of independent variables without screening the outlier

<table>
<thead>
<tr>
<th>Variable(s) in model</th>
<th>R$^2$</th>
<th>$R_{\text{adj}}^2$</th>
<th>$C_p$</th>
<th>SEE</th>
<th>Variable</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td>Area</td>
</tr>
<tr>
<td>1</td>
<td>87.2</td>
<td>87.0</td>
<td>41.9</td>
<td>1.98</td>
<td>-</td>
</tr>
<tr>
<td>1</td>
<td>64.1</td>
<td>63.6</td>
<td>226.6</td>
<td>3.32</td>
<td>-</td>
</tr>
<tr>
<td>2</td>
<td>88.9</td>
<td>88.5</td>
<td>31.0</td>
<td>1.87</td>
<td>√</td>
</tr>
<tr>
<td>2</td>
<td>88.0</td>
<td>87.7</td>
<td>37.5</td>
<td>1.93</td>
<td>√</td>
</tr>
<tr>
<td>3</td>
<td>92.7</td>
<td>92.3</td>
<td>2.4</td>
<td>1.52</td>
<td>√</td>
</tr>
<tr>
<td>3</td>
<td>92.0</td>
<td>91.6</td>
<td>7.8</td>
<td>1.59</td>
<td>√</td>
</tr>
<tr>
<td>4</td>
<td>92.7</td>
<td>92.2</td>
<td>4.0</td>
<td>1.53</td>
<td>√</td>
</tr>
<tr>
<td>4</td>
<td>92.7</td>
<td>92.2</td>
<td>4.3</td>
<td>1.54</td>
<td>√</td>
</tr>
<tr>
<td>5</td>
<td>92.7</td>
<td>92.1</td>
<td>6.0</td>
<td>1.54</td>
<td>√</td>
</tr>
</tbody>
</table>

Table 2. Some post test statistics for egg mass estimation models based on single and double side visions

<table>
<thead>
<tr>
<th>Model</th>
<th>Constant statistics</th>
<th>Intercept</th>
<th>Area</th>
<th>$R_{\text{min}}$</th>
<th>$R_{\text{max}}$</th>
<th>$R_{\text{effect}}$</th>
</tr>
</thead>
<tbody>
<tr>
<td>Single side vision</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Mass = -116 +0.009Area+0.08 $R_{\text{max}}$+0.13 $R_{\text{min}}$+0.46 $R_{\text{effect}}$ (Model 1)</td>
<td>$t$ value</td>
<td>-19.57</td>
<td>9.26</td>
<td>3.14</td>
<td>-4.69</td>
<td>7.90</td>
</tr>
<tr>
<td>Mass = -97.5 + 0.007Area + 0.15 $R_{\text{max}}$ + 0.23 $R_{\text{effect}}$ (Model 2)</td>
<td>$t$ value</td>
<td>-18.7</td>
<td>6.8</td>
<td>5.9</td>
<td>-</td>
<td>6.3</td>
</tr>
<tr>
<td>Mass = -94.6 + 0.003Area + 0.42 $R_{\text{effect}}$ (Model 3)</td>
<td>$t$ value</td>
<td>-14.4</td>
<td>3</td>
<td>-</td>
<td>-</td>
<td>18.6</td>
</tr>
<tr>
<td>Double side vision</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Mass = -121 +0.011Area+0.04 $R_{\text{min}}$ + 0.21 $R_{\text{max}}$+0.69 $R_{\text{effect}}$ (Model 1)</td>
<td>$t$ value</td>
<td>-28.5</td>
<td>11.7</td>
<td>1.4</td>
<td>-6.6</td>
<td>12.2</td>
</tr>
<tr>
<td>Mass = -123 + 0.012Area - 0.23 $R_{\text{max}}$ + 0.76 $R_{\text{effect}}$ (Model 2)</td>
<td>$t$ value</td>
<td>-30.6</td>
<td>11.9</td>
<td>-</td>
<td>-10.9</td>
<td>25.9</td>
</tr>
<tr>
<td>Mass = -102 + 0.004Area + 0.54 $R_{\text{effect}}$ (Model 3)</td>
<td>$t$ value</td>
<td>-20.5</td>
<td>3.8</td>
<td>-</td>
<td>-</td>
<td>19.7</td>
</tr>
</tbody>
</table>

\[VIF\]
Distribution of the residuals was more normal for model 2 than 3. On the other hand, the deviation of residuals was in the range of ±4 for model 2, whereas it was ±5 or even more for model 3. For better judgment about the final model, 30% of data that had been kept for model validation were put in the models. This emphasised that these models had insufficient information for predicting the mass because both models had underestimated the data. The same procedure was followed for combined vision data. The best subsets are summarized in Table 2. By considering the VIF values, variables in model 3 estimated the mass independently. The highest multi-collinearity among the variables was observed in model 1. According to the Fig. 4, model 3 estimated the mass of eggs in better manner than model 2.

Fig. 2. Residual diagnostic test for model 2.

Fig. 3. Residual diagnostic test for model 3.

Fig. 4. Modelled vs. measured mass for double view imaging.
It can be concluded that the combined features could provide better estimation of the mass of egg than direct vision. Therefore, the final model can be proposed as:

\[
\text{Mass} = -102 + 0.004 \text{Area} + 0.54 R_{\text{effc}} R_{\text{adj}}^2 = 0.952. \quad (12)
\]

A correlation coefficient of 0.984 was obtained between measured mass and corresponding one which was modelled by the above relation.

CONCLUSIONS

1. The proposed model successfully estimated the mass of an egg by some physical quantities with possibility of online measurement.
2. The two dimensional frontal area and effective radius together could explain the mass with accuracy of about 95%.
3. It was observed that double side imaging gave an acceptable estimation of the real mass of the egg. However, it can be proposed that direct dual view or even triple imaging may give more explanatory power for eggs mass estimation.

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